







Teacher assessment Key stages 2 and 3

Mathematics: learner profile

Level 5

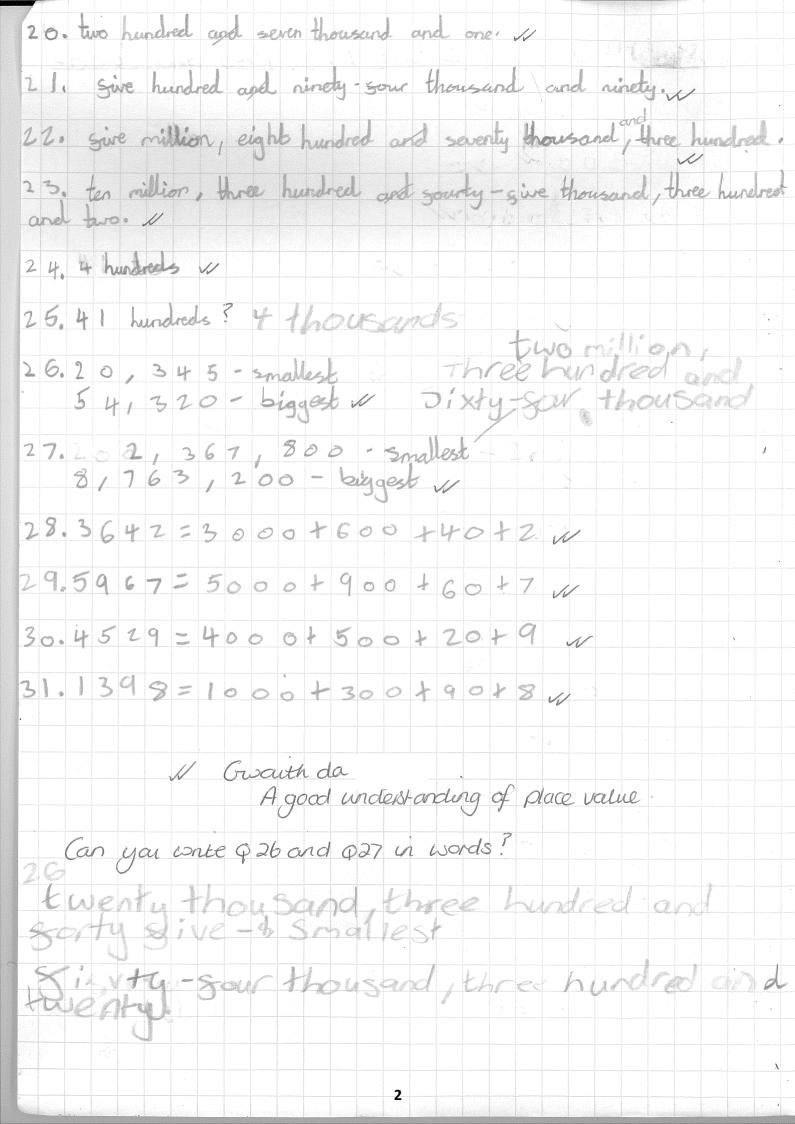
Foreword

This profile is intended to help teachers see the type of evidence that can be used to take to a cluster meeting, in order to support the best-fit judgements made. It also clearly demonstrates that the evidence predominantly lies in a pupil's book and hence is what is already available to the teacher.

The profile also includes a detailed commentary which provides clarity on why the best-fit judgment was awarded. There is no suggestion or expectation that a learner profile is produced for every pupil in the cohort or that teachers write such an extensive commentary.

Learner Profile Mathematics Level 5

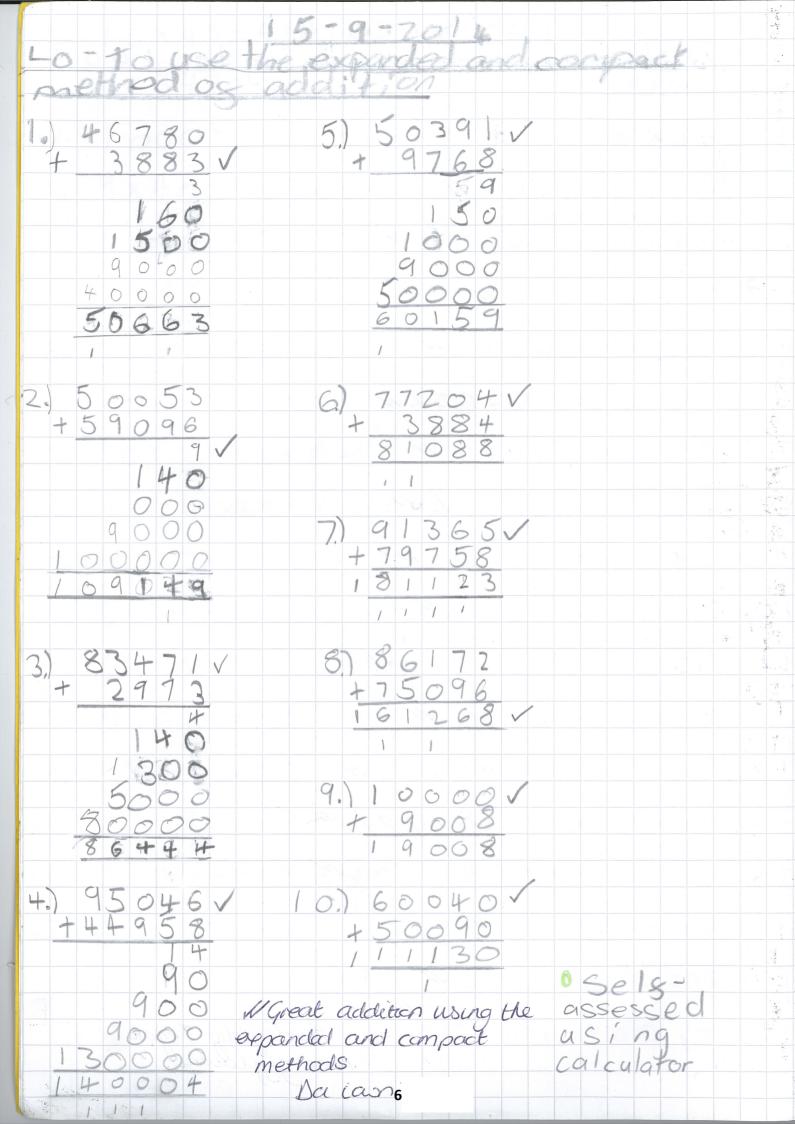
8-9-14 L.O & To use and apply place value 1. 3502=3000 1 2.7321=300 4 3,43,062=3000V 4.39,540=30,0000 5.305,642=3001000N 6.630,790=30,000N 7. 7456 1 3.2902 V 9.547,492 1 10.92,404 W 11.6,065,4000 12.7409 N 13.10,350 W 14.293,161 W 15.164,050 16.6,000,007 4 17, Seven thousand and one 18. Sive thousand and ninety. 19. eight thousand and three hund



LO: Multiply 9-9-14 LO: Multiply and decincule by 10 1/00 and 1000-34×10=340/ 2. 51 ×100=51004 530×10=53004 3, 3120×10=31,2004 4 4501×100=450,100~ 5 43,980×10=439,800 W 6. 7, 3,2×10=32 V 8. 5.4×100=5400N 4.2×1000=42000 q, 10. 3.87×10=38.7~ 11: 4.81x100=481~ 12. 0.8×10=8 W 13. 0.5 ×100=50 W 14.0.04x10=0.4W 15. 0.08×100=8 W 16,0,82×100=82W 17. 0.34×10=3.4~ 18.7.3X10=73W 19. 3.1X100=310W

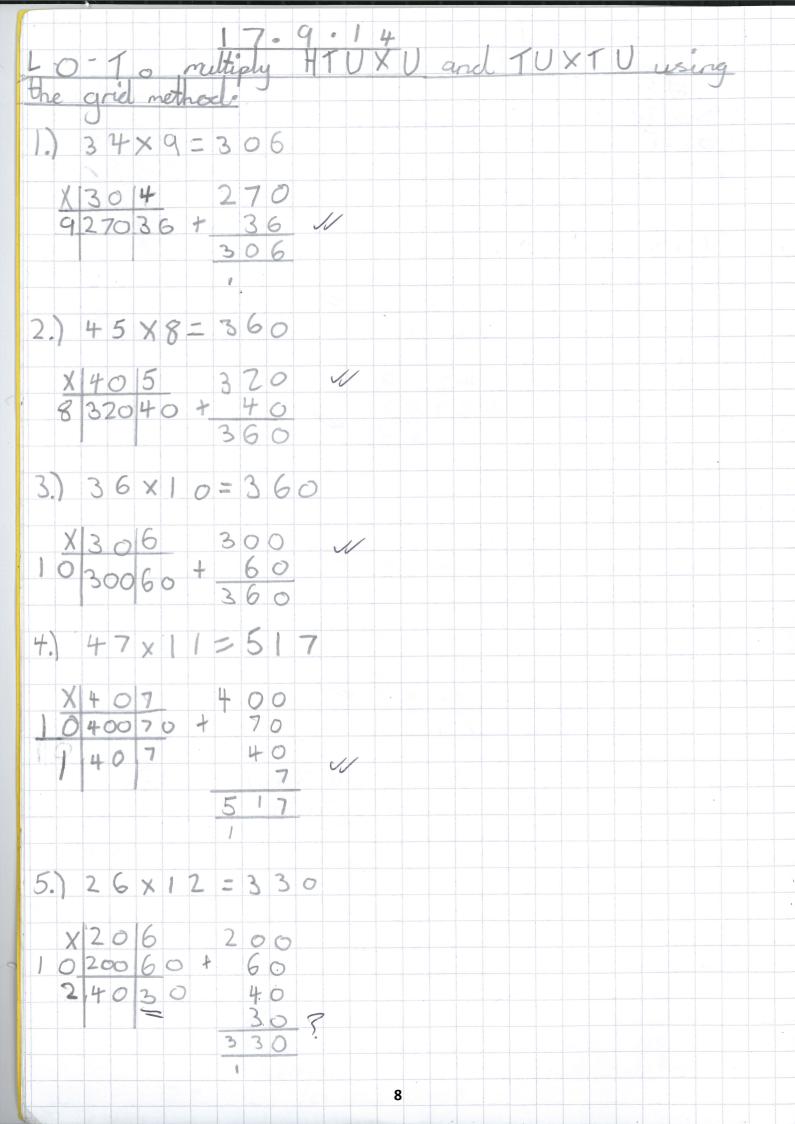
10x45=450 V 20. 10×420= 42000 21. 1000×56=56,000 220 9x400=6300. 23 MArdderchag 8 x 60 = 480 ~ 240 Creat multiplication. 70×5=350~ 25. 26. 300X4=1200~ 200×7=1400~ 27. 20 × 30 = 600 W 28. 30×400=12,0004 290 40×700=28,000 W 300 50×900=+5,000W 31. 32. 0.4×40=16~ 0.6×90=540 33. 0.4X20=8~ 34 0.3×300=96W 35. 0.2 ×400=80 m 36. 37. 0.6 ×300=180 W

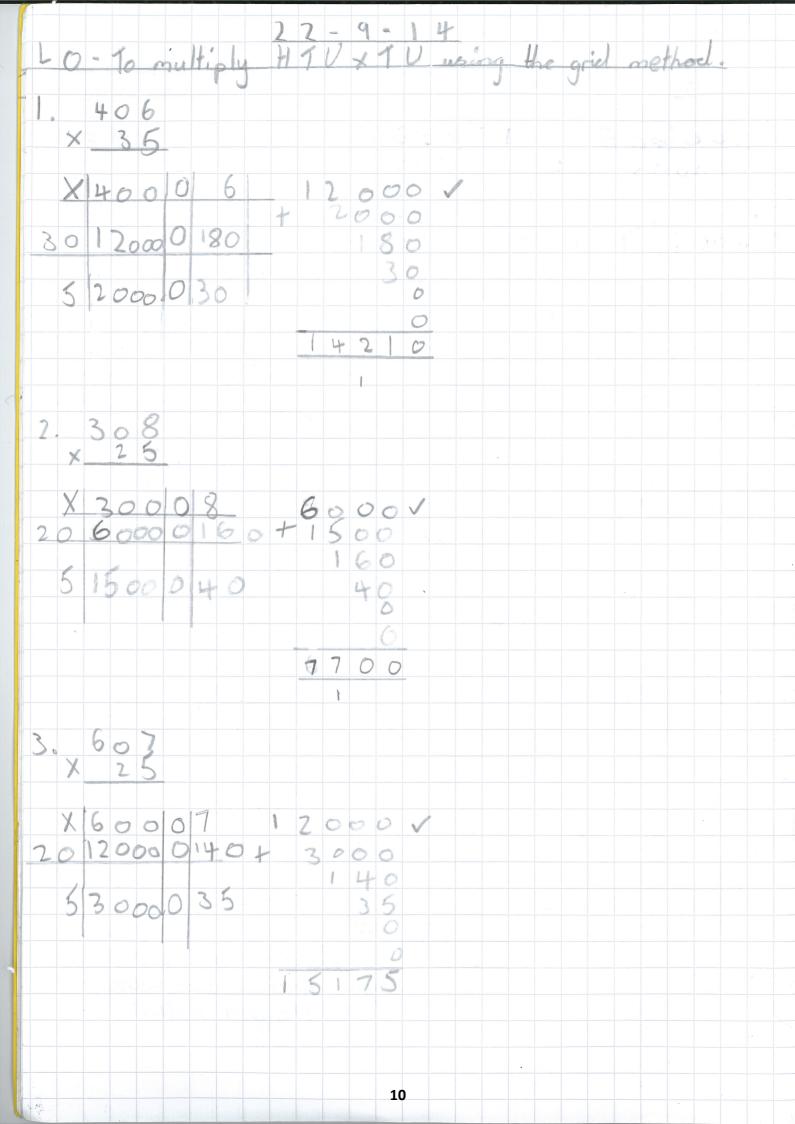
LO- Divide numbers and decimals by 10,100 1. 3-10=0.31 2 7-100-0.071 6:1000:0.006W 39=10=3.91 4. 41-100-0,411 5. 6. 52 ÷ 1000 = 0.05211 459:10 =45.9 ~ 7 8. 310 = 100 = 3.16 V 9. 501:100=5.012 10.5500-10=550~ 11.3942=10=394.21 12.3600-100=36 1/ 13.90012100=80.014 14.8200-1000-8.2004 15,900321000=4.003 16.7260=221 17.3900-10=3901 Bendigedig Nod gyflawni. 18.72,000=1000=770

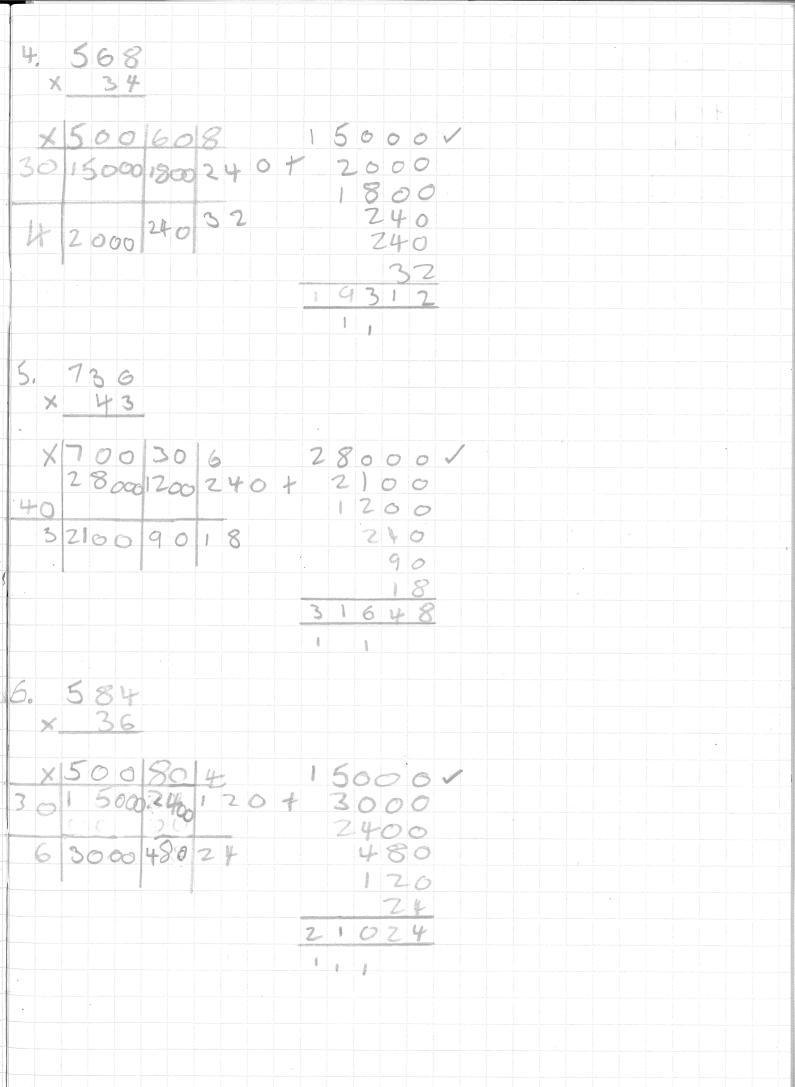


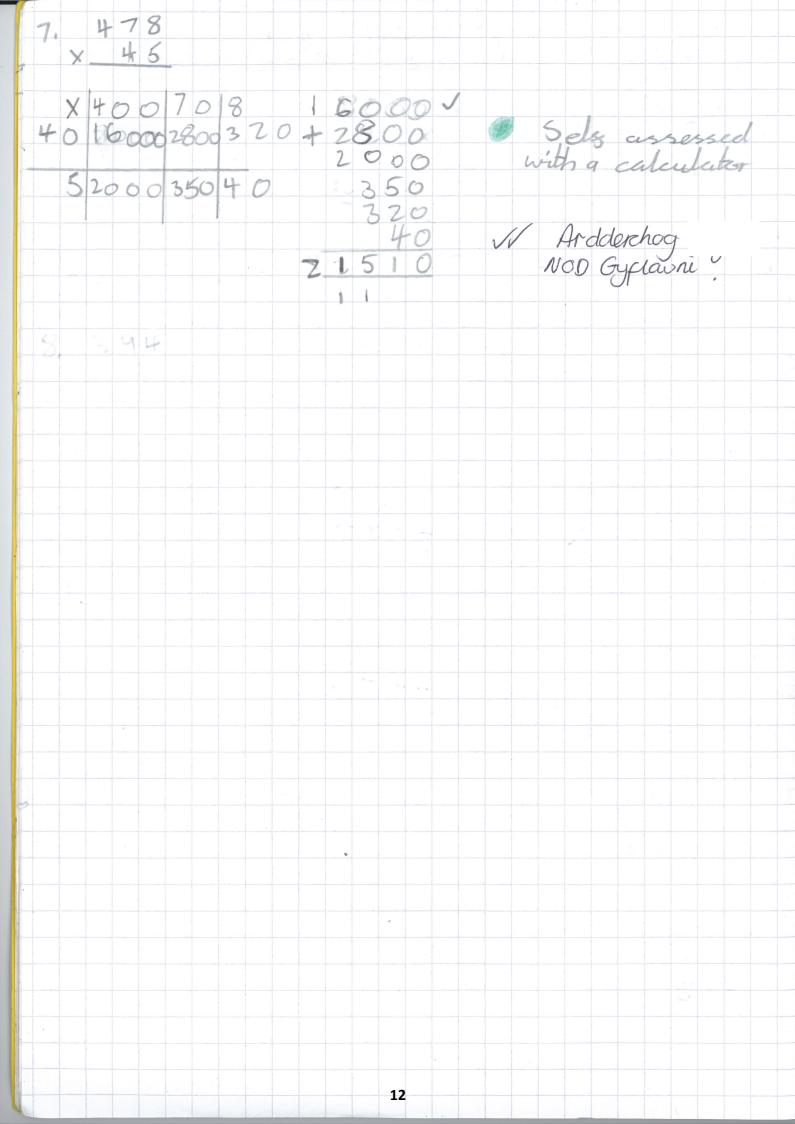
16.9.14 LO-To subtract using the compact method

1. 45 857 1068 1068
+3999
5067 - 1068 2. 4/39/4 3717
+ 677
+394 - 677 3717 7/15 3. 8285 -3986 4279 4279 + 3 9 8 6 8 2 6 5 4. 7639 - 545 7094 7094 + 545 5.89558 -2996 6562 6562 +2996 9558 Gwaith da NOD Gylaion 7

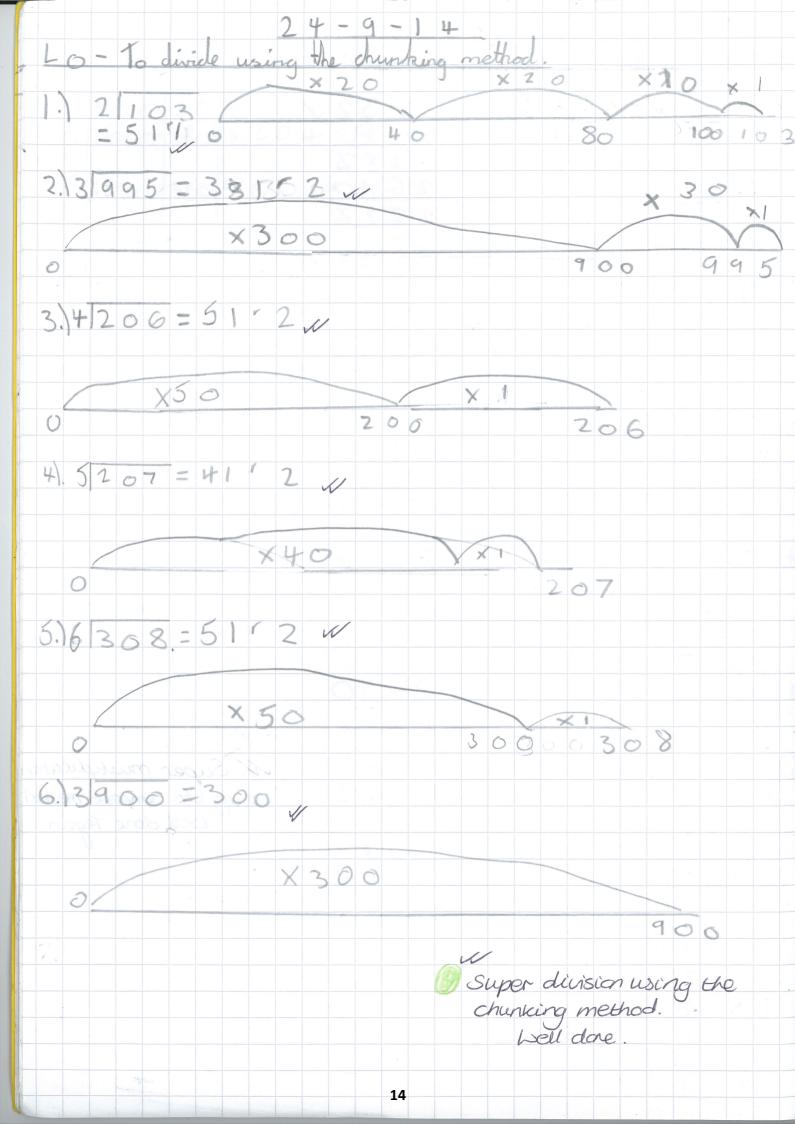


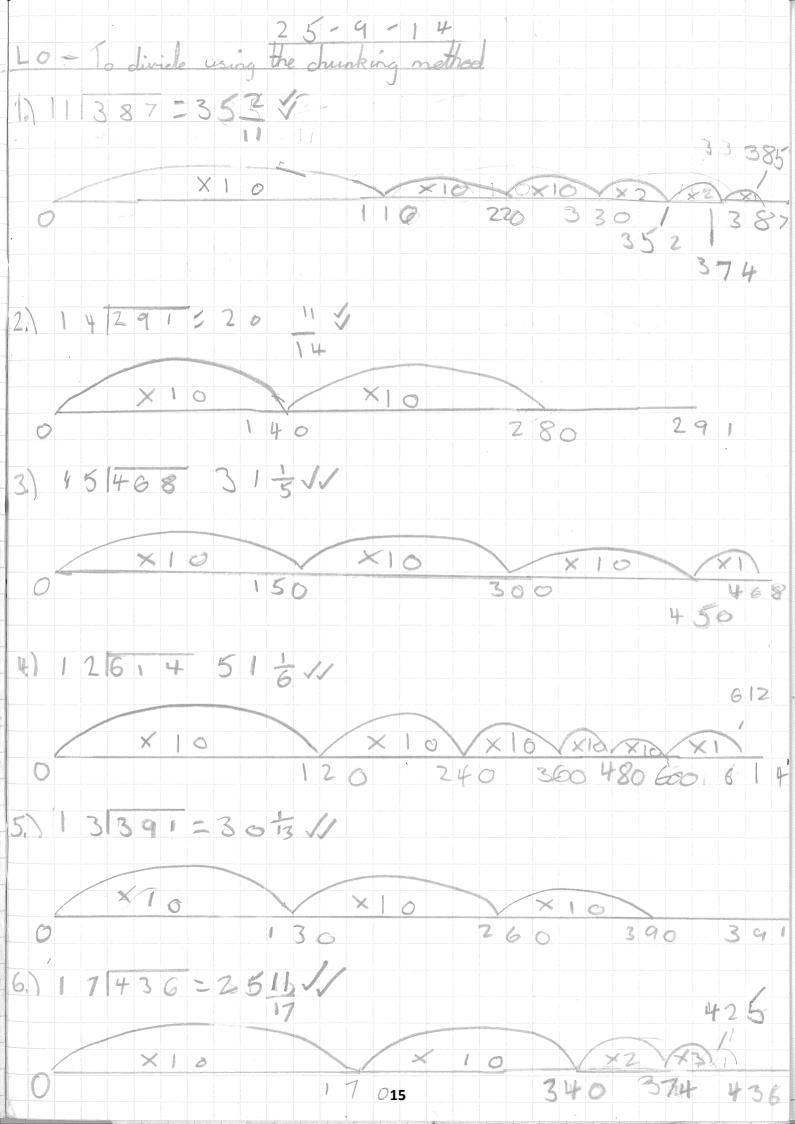


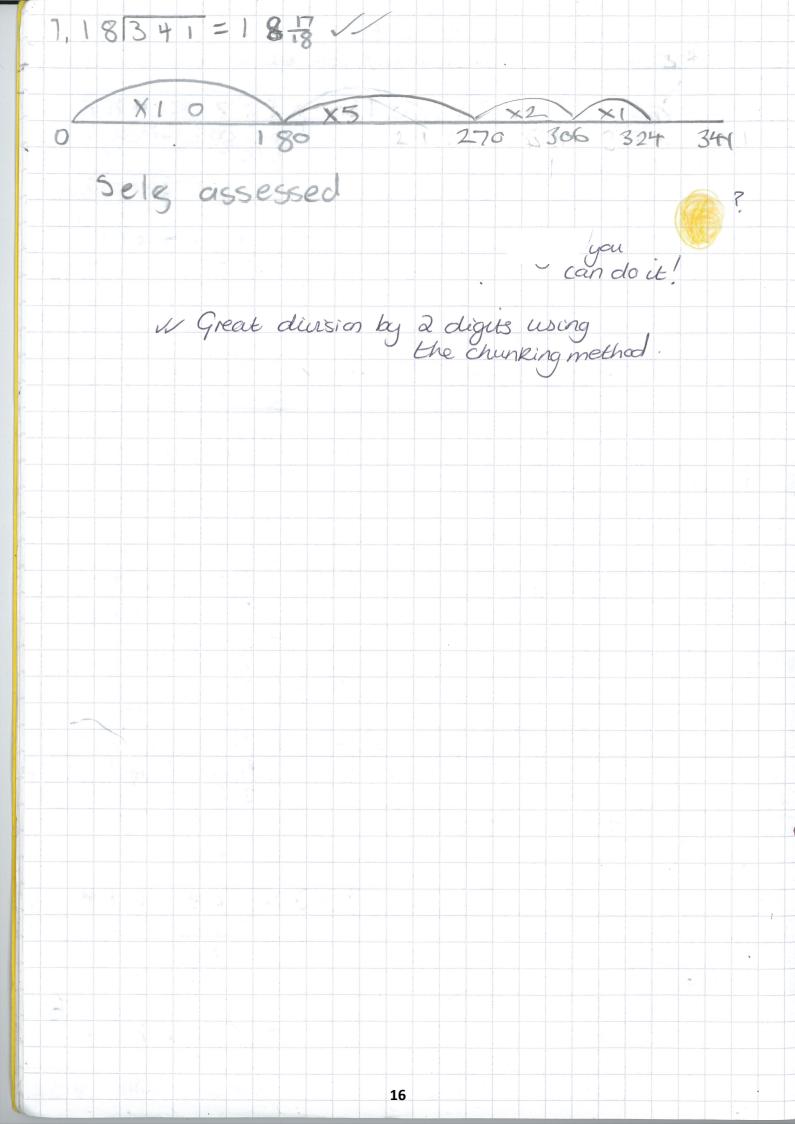


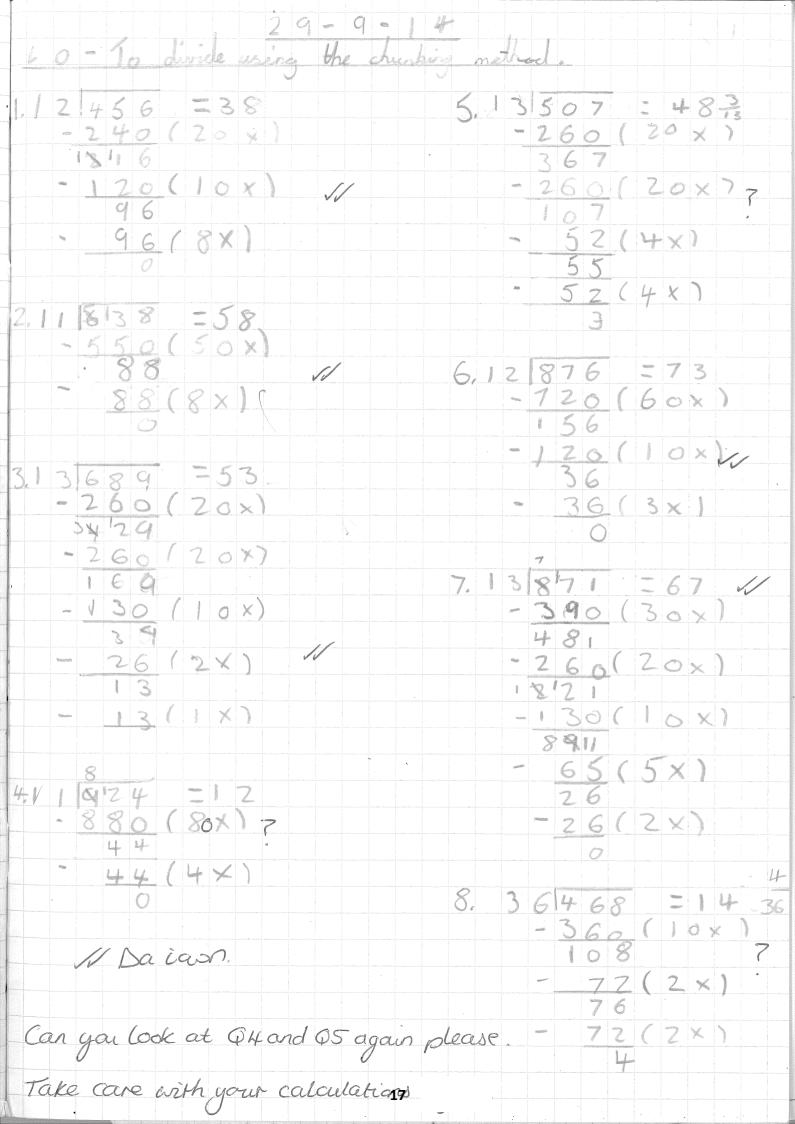


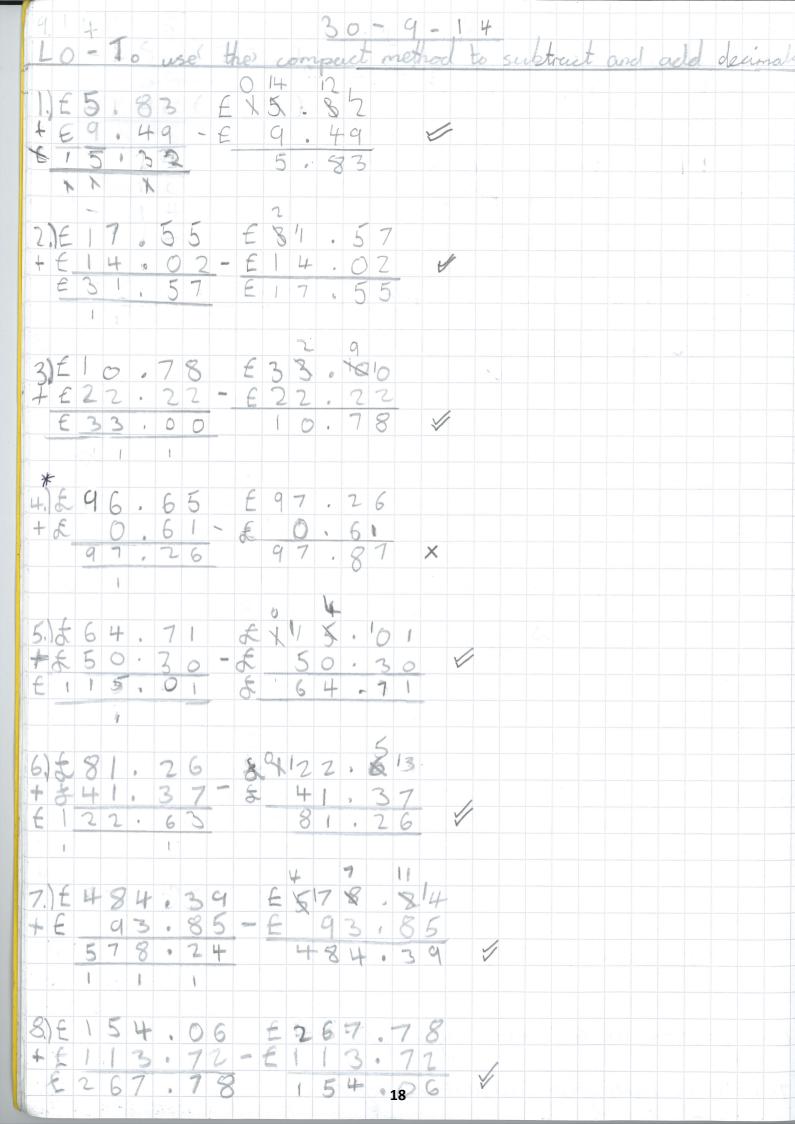
	23.9-14/	
Lo-To multiply	using the comperet method	24
1.) 8 6 7 V × 7 6 0 6 9 + +	1.) 132 / × 21 132 2640	
2.) 7491	2772	
X 11 7 49 7 4 9 0 8 2 3 9	2) 2 4 2 / x 7 1 2 4 7 4 8 4 0 5 0 8 2	
b) 788 1 2092 77 4) 9391	3.) 3 1 4 V X 21 3 1 4 6 2 8 0 6 5 9 4	
1878	4) 424 / × 21 424 8480 8904	
5.) 8 + 9 V X I I 8 + 9 8 + 9 0 9 3 3 9	5) 522 / x 31 522 15660 16182	W Super multiplication issing the compact method well done
6) 699 V X 12 1398 6990 8388	13	







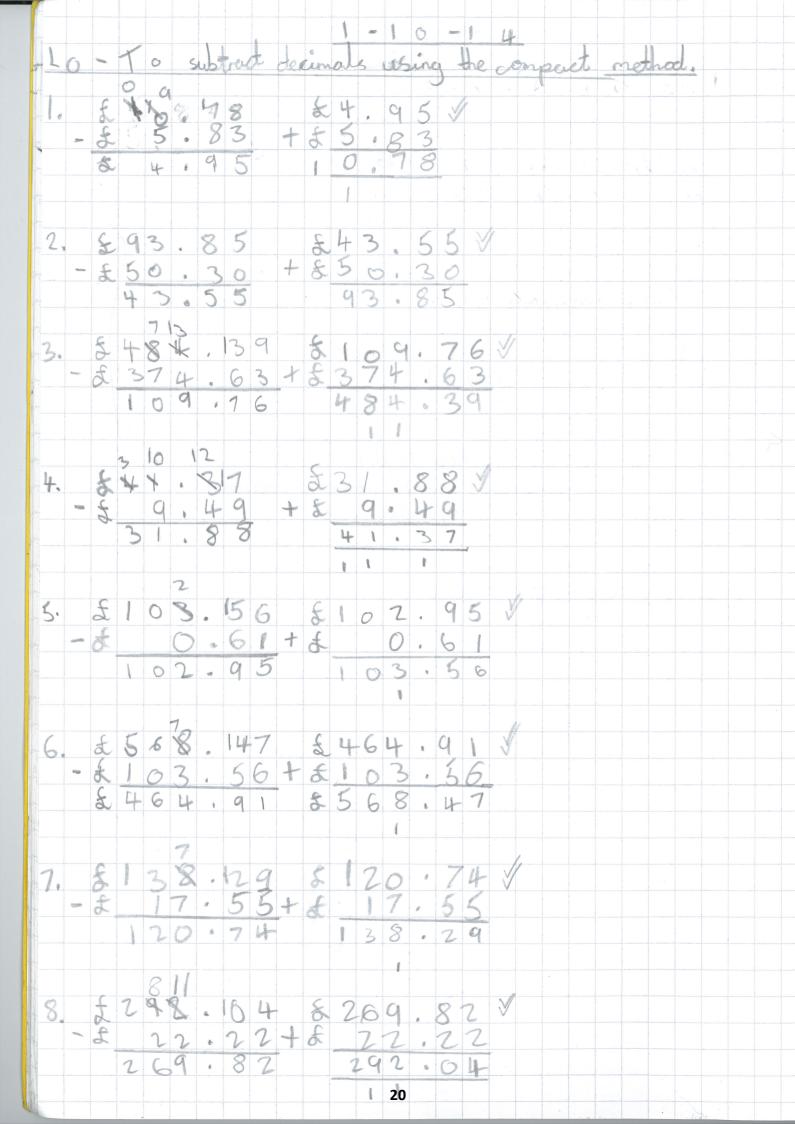


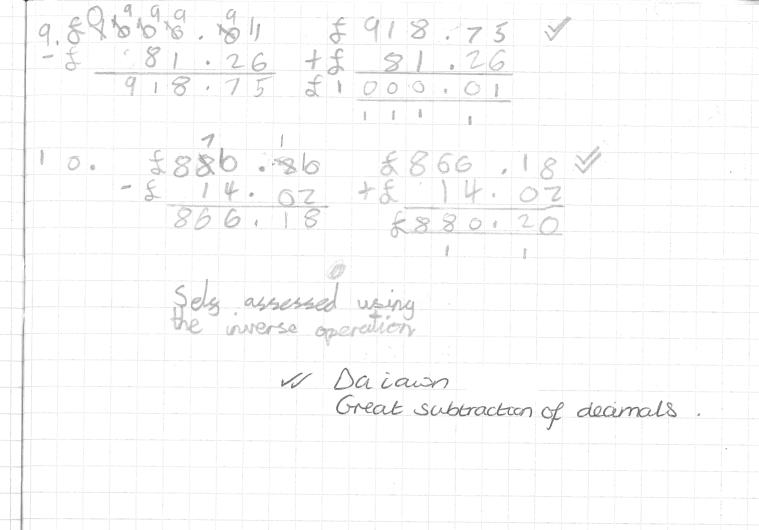


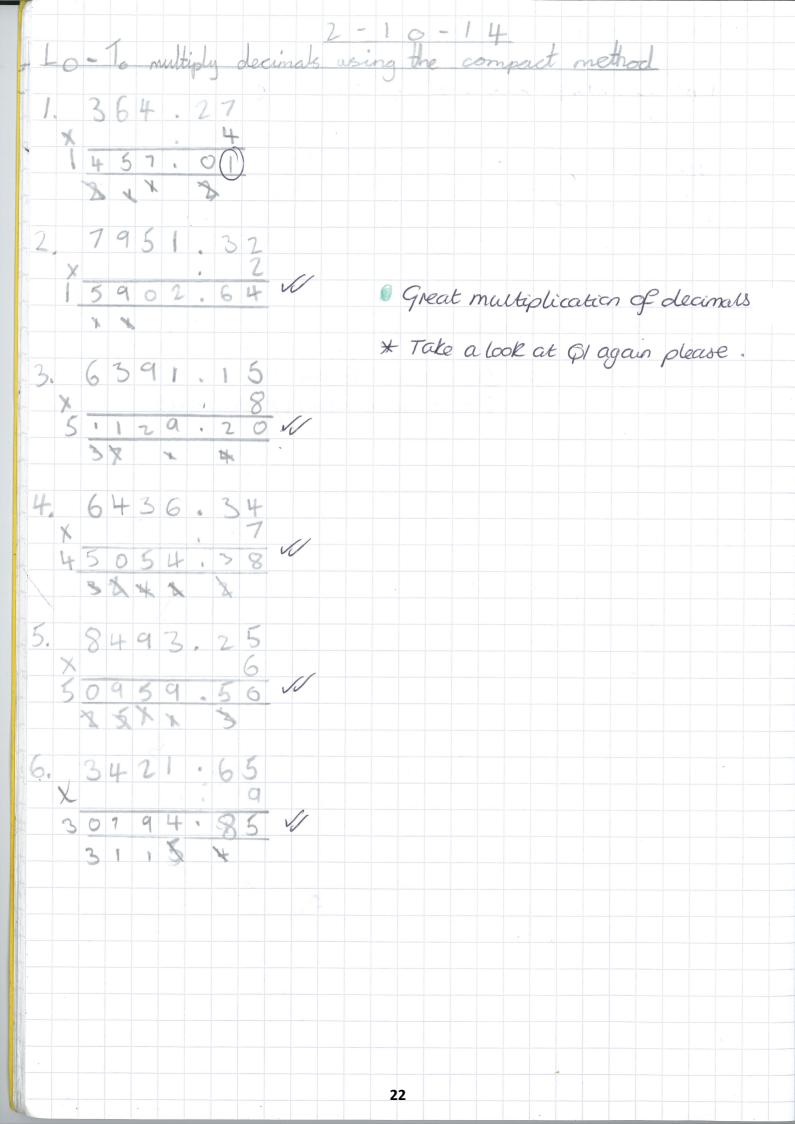
9,) E = 138, 28, E = 2411, 814 + E = 103, 66, E = 103, 56E = 241, 84, 138, 28, 48,

N Ardderhog
Excellent subtraction and addition
of decimals.

* Take a look at Q4 again

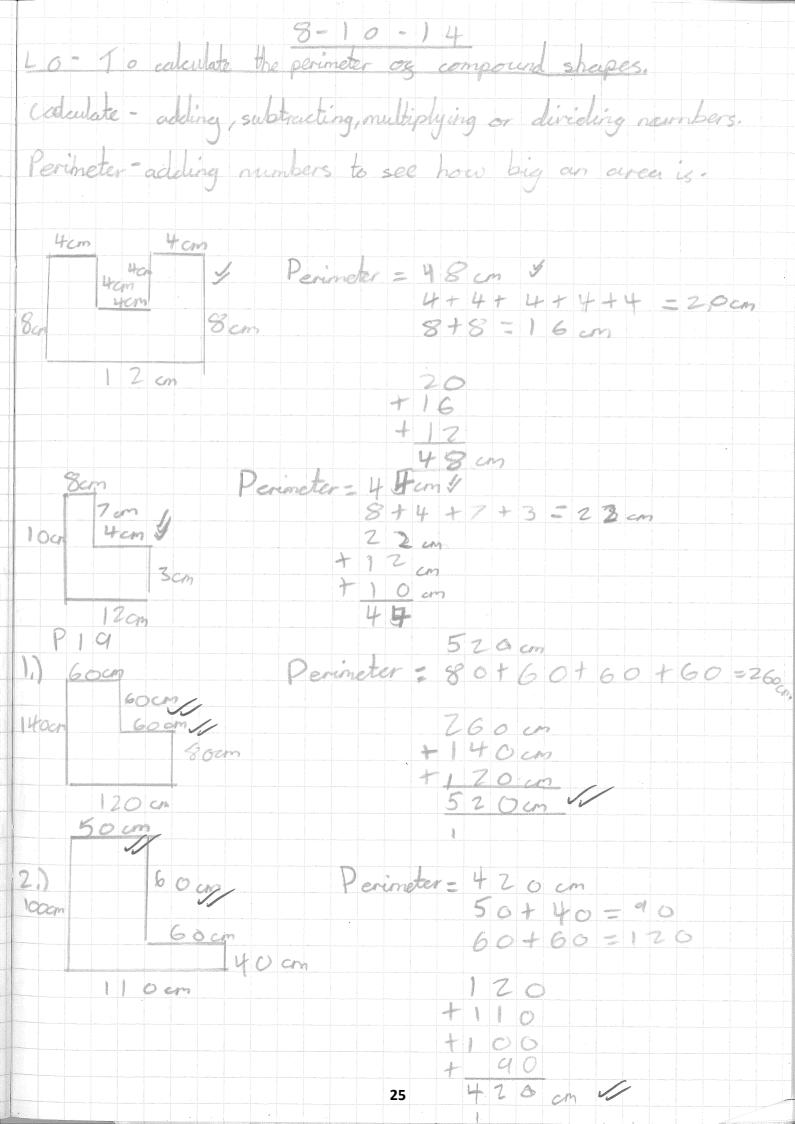


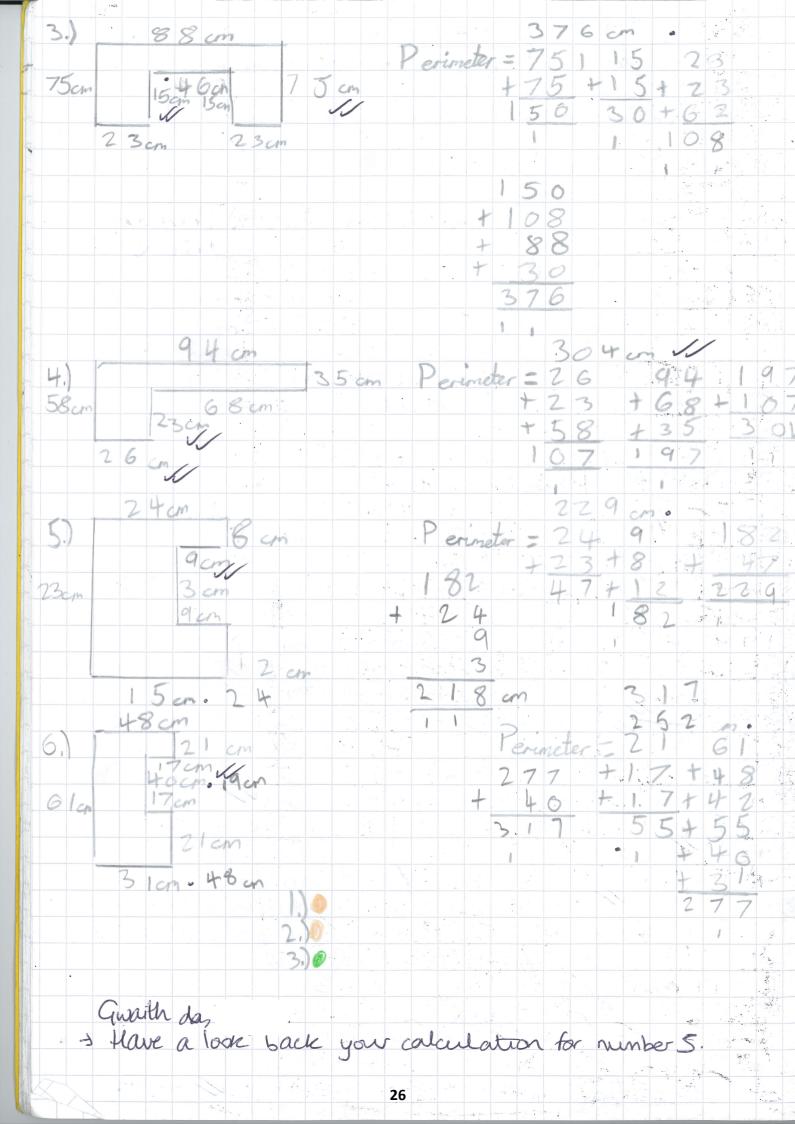


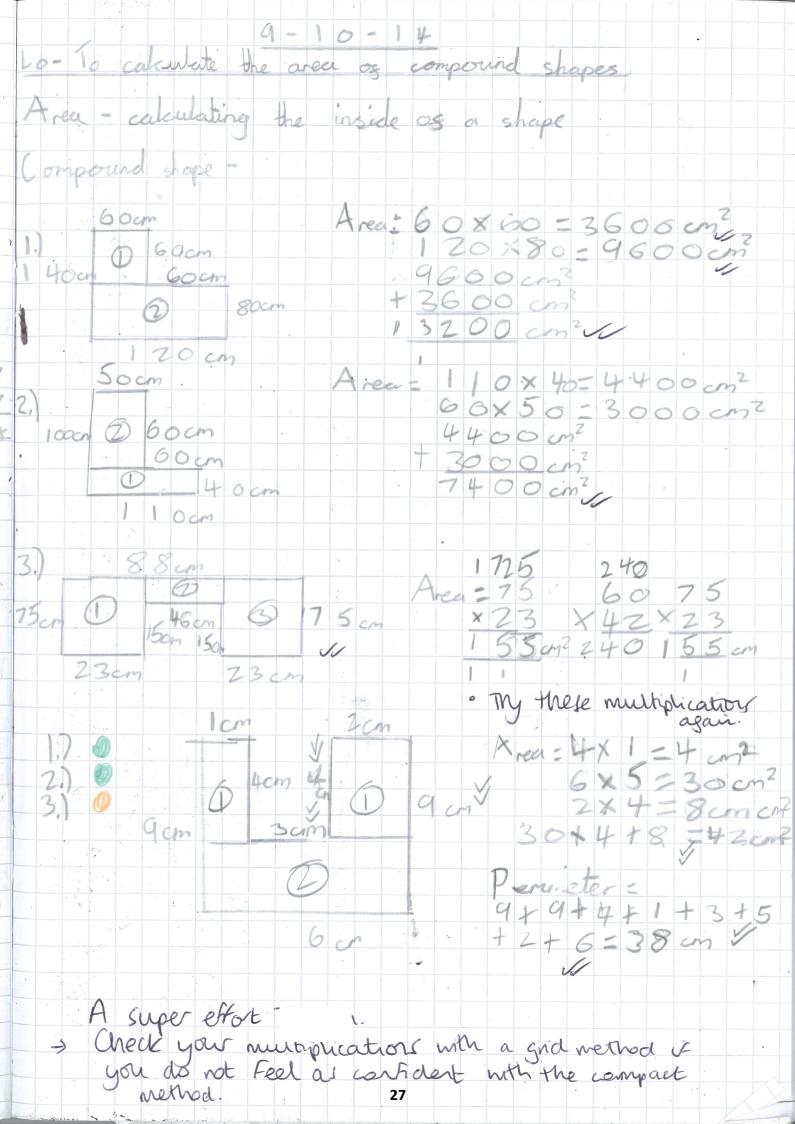


Adding 6-10-14 16-10 missing dimensions a carrietor 89 441 3000 1 den Sch 1000 60cm - 60cm. NHO 120 cm 800 2 6 7 94cm 7 40 - SOcn. 100 23

24 You are working well towards finding the missing diversions. 2 4 cm 24







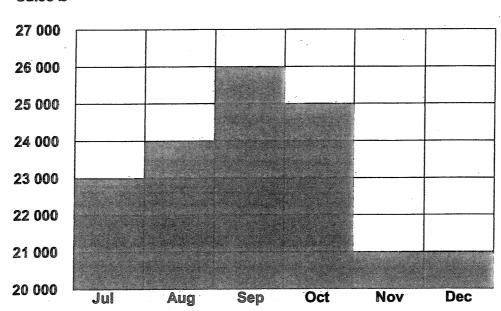
700 Ban ZEM 200 400 Perimeter = 3+3+3+2+2+2 +7+4=26 cm $\frac{1}{2}$ 2 cm Area = $3\times2=6$ cm² $3\times1=3$ cm² $4\times2=8$ cm² 8*3*6=17 cm² 28

14/10/14 Lo. To interpret a range of groups and chate

6117 Collect and organise data. Using tables, graphs and charts. (Cont.) P.O. Box 1234 Worthing BN13 2UJ www.mathsphere.co.uk © MathSphere

1. This graph shows the sales of clothes in a shop during the last six months of the year.

Sales £



Say whether these statements are true or false:

a) The sales in September were twice as much as in July. — //

b) More was sold in October than in November and December together.

c) Sales in September were six times as much as in November.

d) Now draw the graph again, this time starting at £0 on the sales axis. How is your graph different to the one above?

This page shows how careful you need to be when reading figures from graphs. Look very carefully at the scales on the axes!

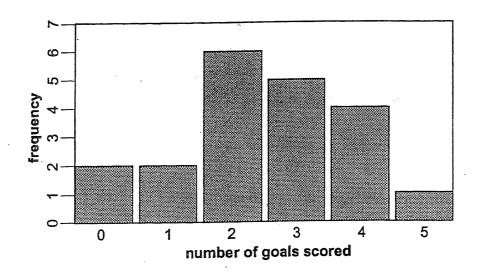


Da iawn

Excellent interpretation of the different types of graphs/charts.

Goals scored by Harriers

This bar chart shows the number of goals scored by Harriers in last season's matches.



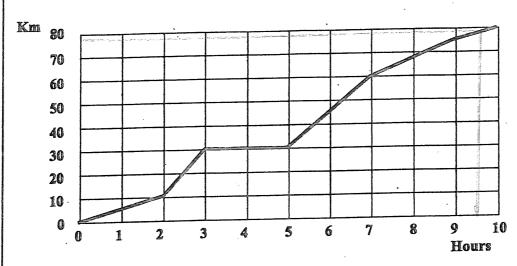
- What was the highest number of goals Harriers scored in a match?
- 2 How many matches in total did Harriers play? 20 //
- In how many matches did Harriers score more than three goals? 5
- What was the most common number of goals scored (mode)? 2 //
- How likely are Harriers to score seven goals in a match when they play in the same league this season? Very Likely //

6101 Read the time from clocks, calendars and timetables. Page 5

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Extension Work

The graph shows the distance a cyclist rode in a time of 10 hours.



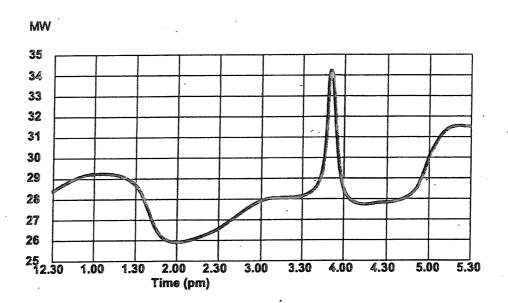
Answer these questions:

- a) How far was the cyclist from the starting point after two hours?
- b) How far was she from the starting point after seven hours? 60km
- c) What was the cyclist doing between the third and the fifth hours? Haring a re
- d) How far did she cycle in the ten hours?
- e) What was her average speed over the journey? 8 km per hour //
- f) Between which hours was she cycling fastest? 2 -3 hours //
- g) What was her average speed when she was cycling fastest? 20 km per
- h) Estimate how far she had gone after 9 hours 30 minutes. 77 km
- i) If she rode back at a steady speed of 16 Km/hr, how long would it take her to return?

6117 Collect and organise data. Using tables, graphs and charts. (Cont.) Page 6
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1. This graph shows the amount of electricity being used in a town in England during part of cup final day. The match started at 3.00pm.

The amount of electricity being used is measured in megawatts (MW).



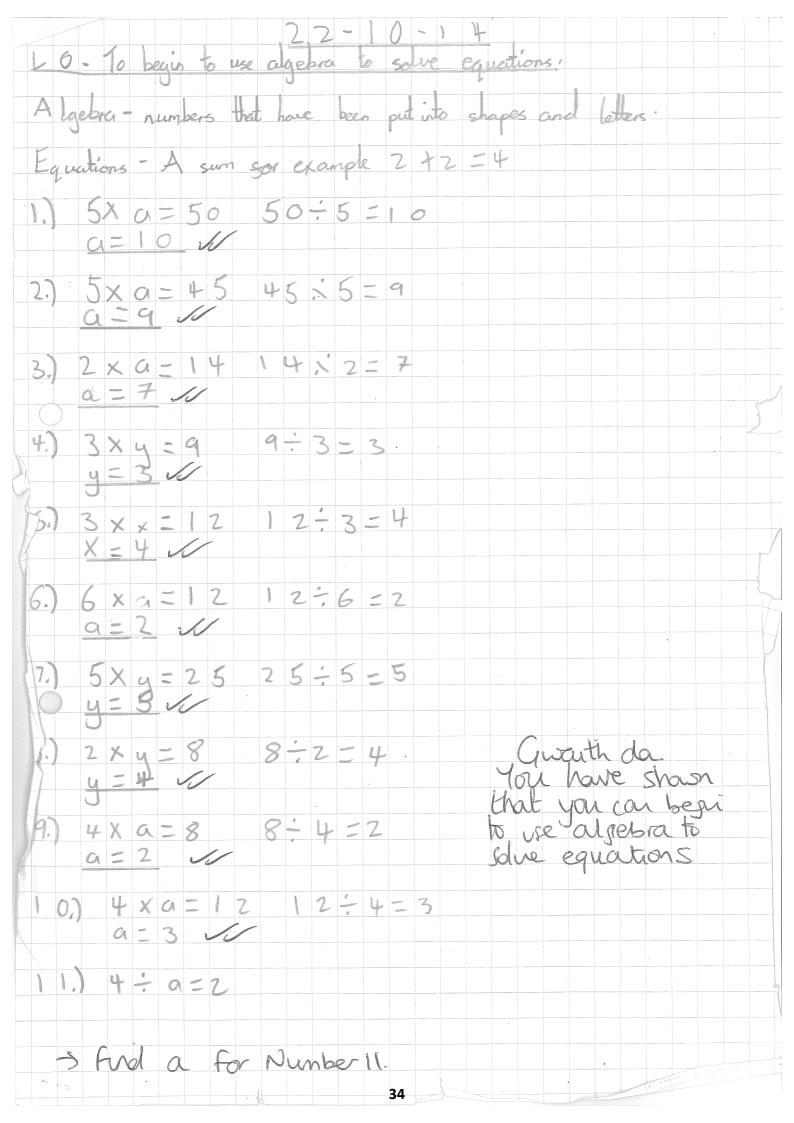
Answer these questions:

- a) How much power was being used at 12.30 pm? 28.5 MW //
- b) How much power was being used at 2.00 pm? 26 MW /
- e) How much power was being used at the peak at about 3.45 pm? 34.2 MW.
- d) Why was quite a lot of power being used between about 12.30 and 1.30 pm? Lunc
- e) Why did the amount of power used drop at about 2.00 pm? Finished their ly
- f) If no extra time was played after the first half, what happened in the match at 3.45 pm?
- g) Why did the power used suddenly increase dramatically at 3.45 pm?
- h) Why did the amount of power used rise steadily again from about 4.45 pm?

People start to make too. 11

20-10-14
LO-To record results systematically

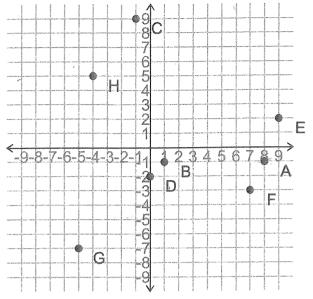
Systematically - it's a system



Lo-To read and plot co-ordinates in all sour quadrats. Plot - to plan something co-ordinates are on a map and they show where something is. L'Excellent reading and plotting of co-ordinates

Corolinaites

1.



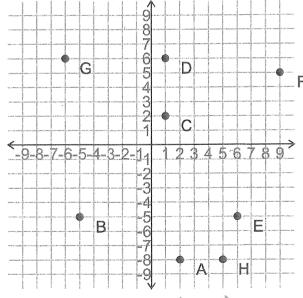
$$A = (3-1) \text{ } B = (1-1) \text{ } \text{ } C$$

$$C = (-1, 9) \text{ } D = (0, -2) \text{ } \text{ } C$$

$$E = (9, 2) \text{ } \text{ } F = (7, -3) \text{ } \text{ } C$$

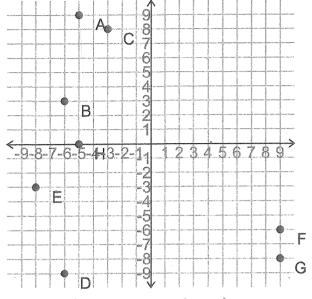
$$G = (-5, -7) \text{ } H = (-4, 5) \text{ } C$$

3.



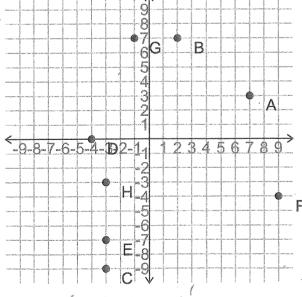
$$A = (2, -8) \text{ } B = (-5, -5) \text{ } C = (1, 2) \text{ } D = (1, 6) \text{ } C = (6, -5) \text{ } F = (9, 5) \text{ } C = (-6, 6) \text{ } H = (5, -8) \text{ } C = (-6, 6) \text{ } H = (5, -8) \text{ } C = (-6, 6) \text{ } H = (-6, -8) \text{ } C = (-6, -6) \text{ } H = (-6, -8) \text{ } C = (-6, -6) \text{ } H = (-6, -8) \text{ } C = (-6, -6) \text{ } H = (-6, -8) \text{ } C = (-6, -8) \text{ } C = (-6, -8) \text{ } H = (-6, -8) \text{ } C = ($$

2.



$$A = (-5,9) \sim B = (-6,3) \sim C = (-3,8) \sim D = (-6,-9) \sim E = (-8,-3) \sim F = (9,-6) \sim G = (9,-8) \sim H = (-5,0) \sim C$$

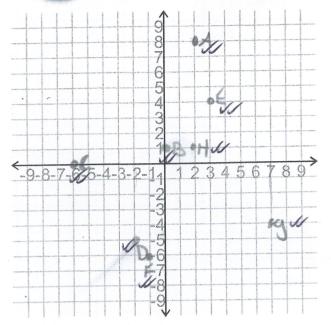
4.



A = (7,3) = B = (2,7) C = (-3,-9) = (-4,0) =







A = (2, 8)

B = (0, 1)

C = (-6, 0)

D = (-2, -5)

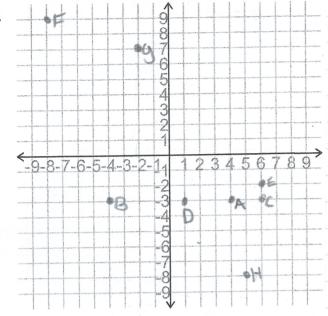
E = (3, 4)

F = (-1, -6)

G = (7, -4)

H = (2, 1)

2.



A = (4, -3)

B = (-4, -3)

C = (6, -3)

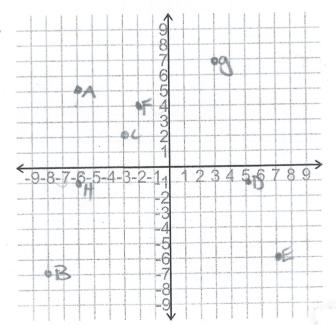
D = (1, -3)

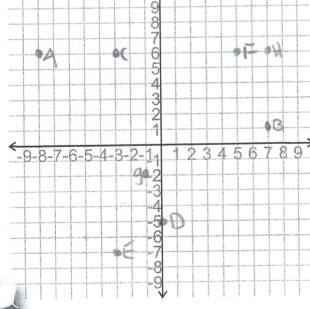
E = (6, -2) \checkmark F = (-8, 9)

G = (-2, 7)

H = (5, -8)

3.





B = (-8, -7) $A = (-6, 5) \checkmark$

D = (5, -1)C = (-3, 2)

 $E = (7, -6) \checkmark F = (-2, 4) \checkmark$

G = (3, 7) $\mathcal{H} = (-6, -1)$

A = (-8, 6) % B = (7, 1) %

C = (-3, 6) D = (0, -5)

E = (-3, -7) % F = (5, 6) %

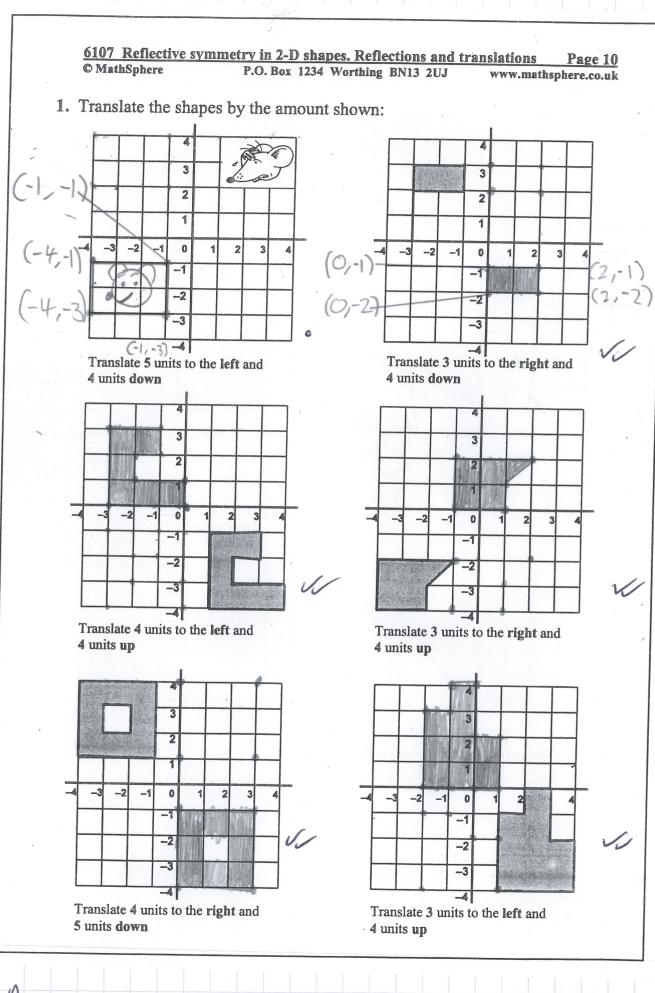
G = (-1, -2) H = (7, 6)

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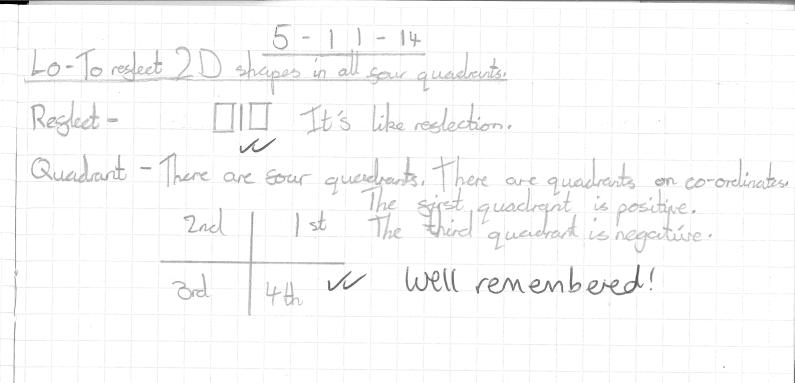
LO-To translate 2D shapes in all your quadrants.

Translate-you can translate languages into your language.

2D shapes - shapes that are slot for example square, triangle.



A very good understanding or branslating 20 shapes using all fair quadrasoft.



6107 Reflective symmetry in 2-D shapes. Reflections and translations © MathSphere P.O. Box 1234 Worthing BN13 2UJ 1. Reflect the following shapes in both mirror lines. 0 -: 0 0 -2

Well done An excellent understanding of reflecting 2D shapes using all four quadrants.

Lo- To rotate 2D shapes in all sow questionst.

1st quadrant - The xaxis is positive the yaxis is regative 4th

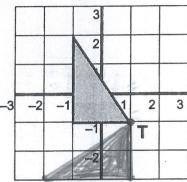
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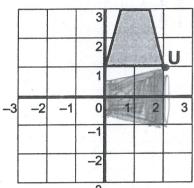
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I would like you to rotate each of the shapes below by the amount shown. Be careful with 90° rotations to watch whether you should rotate clockwise of anti-clockwise!

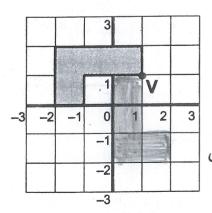




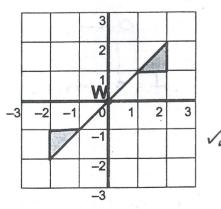
Rotate the triangle about T by **90**° anti-clockwise



Rotate the trapezium about U by **90**⁰ anti-clockwise



Rotate the hexagon about V by 90° anti-clockwise



Rotate the double flag about ${\bf W}$ by ${\bf 90^0}$ clockwise

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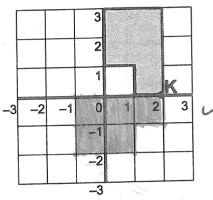
www.mathsphere.co.uk

I would like you to rotate each of the shapes below by the amount shown. Be careful with 90° rotations to watch whether you should rotate clockwise of anti-clockwise!

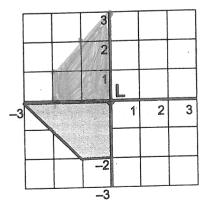


4000			n			
<u></u>			3			
	-		2			
			1			
-3	-2	-1	0	1	2	3
			-1			
			-2			
	<u>.</u>	<u> </u>	_3	I	I	A

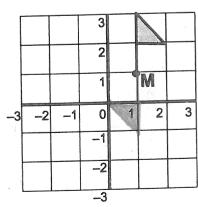
Rotate the rectangle about J by 90° clockwise



Rotate the hexagon about K by 90° anti-clockwise

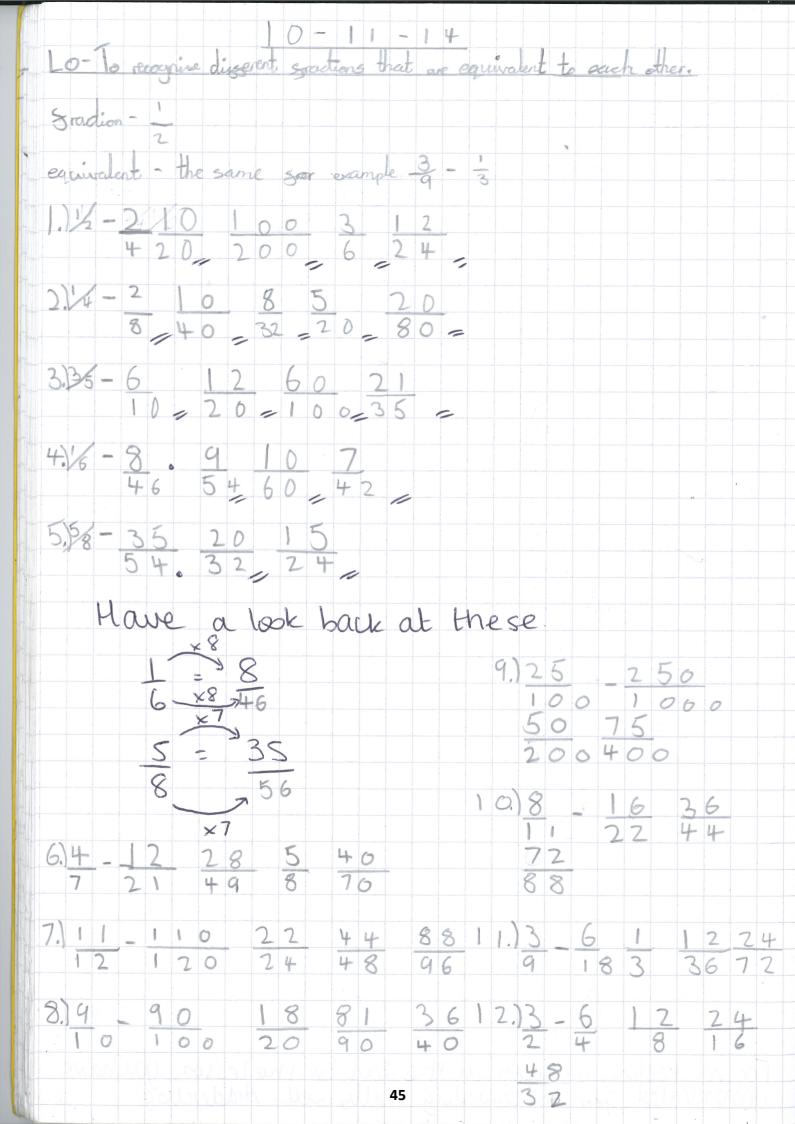


Rotate the trapezium about L by 90° clockwise



Rotate the flag about M by 180°

For not feeling confident at the start of the lesson, you have demonstrated your undestanding really well Adderling!

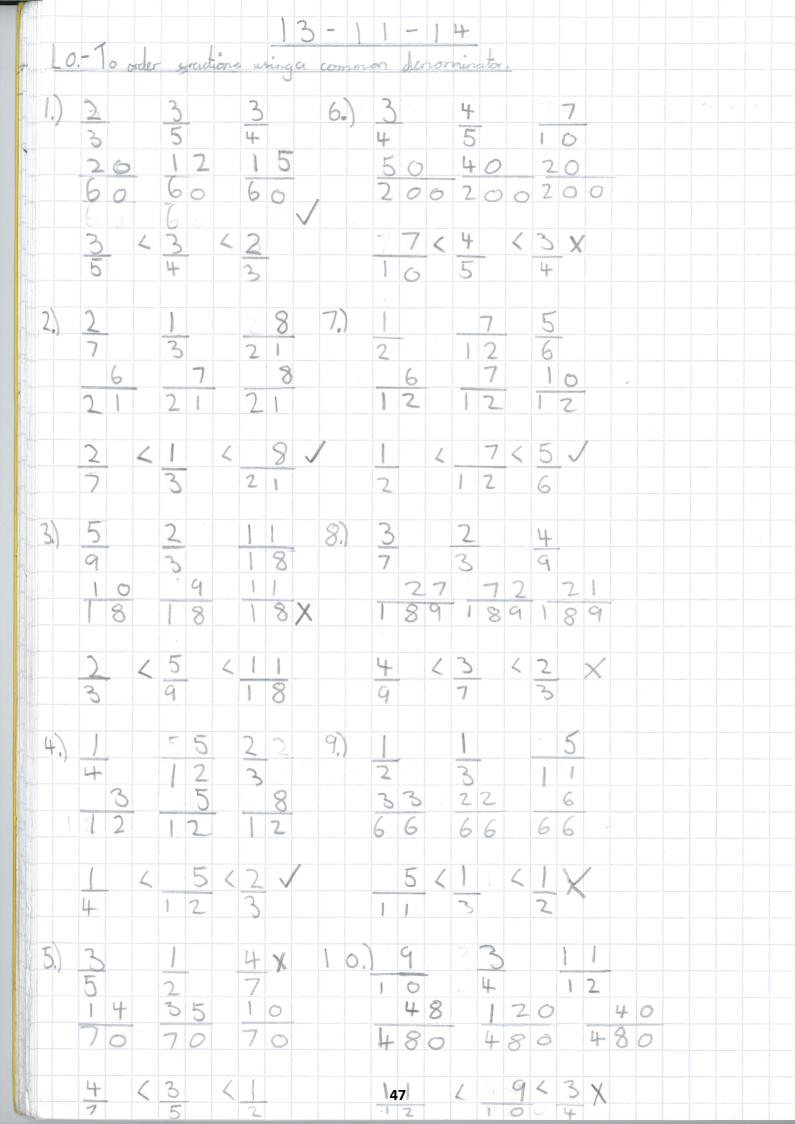


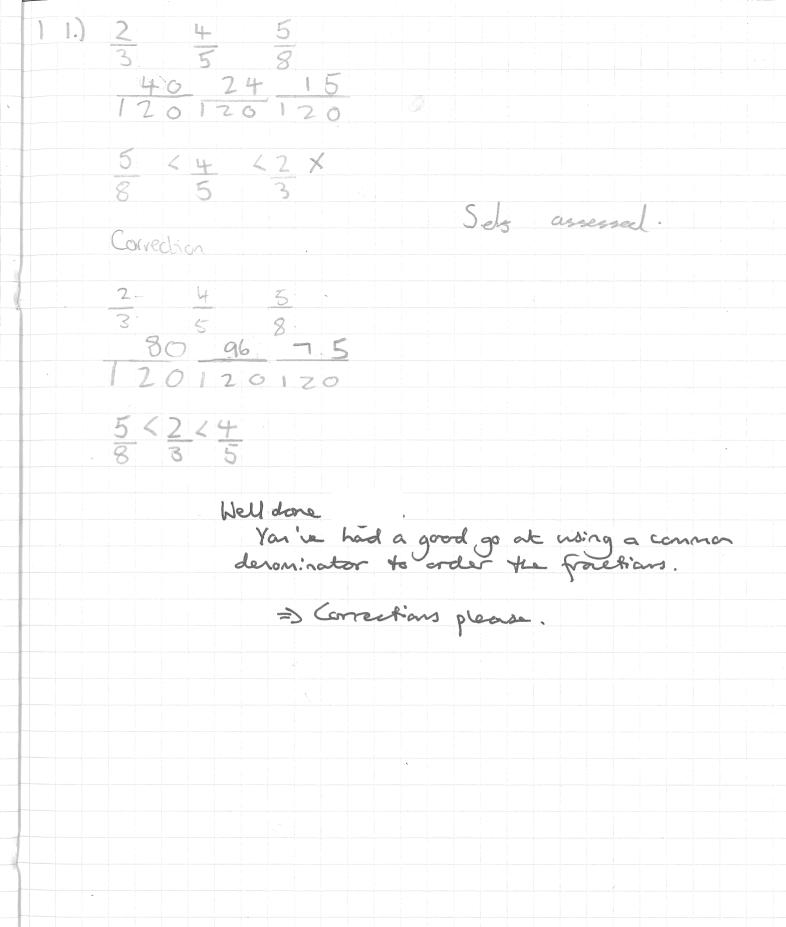
14) 3 - 1

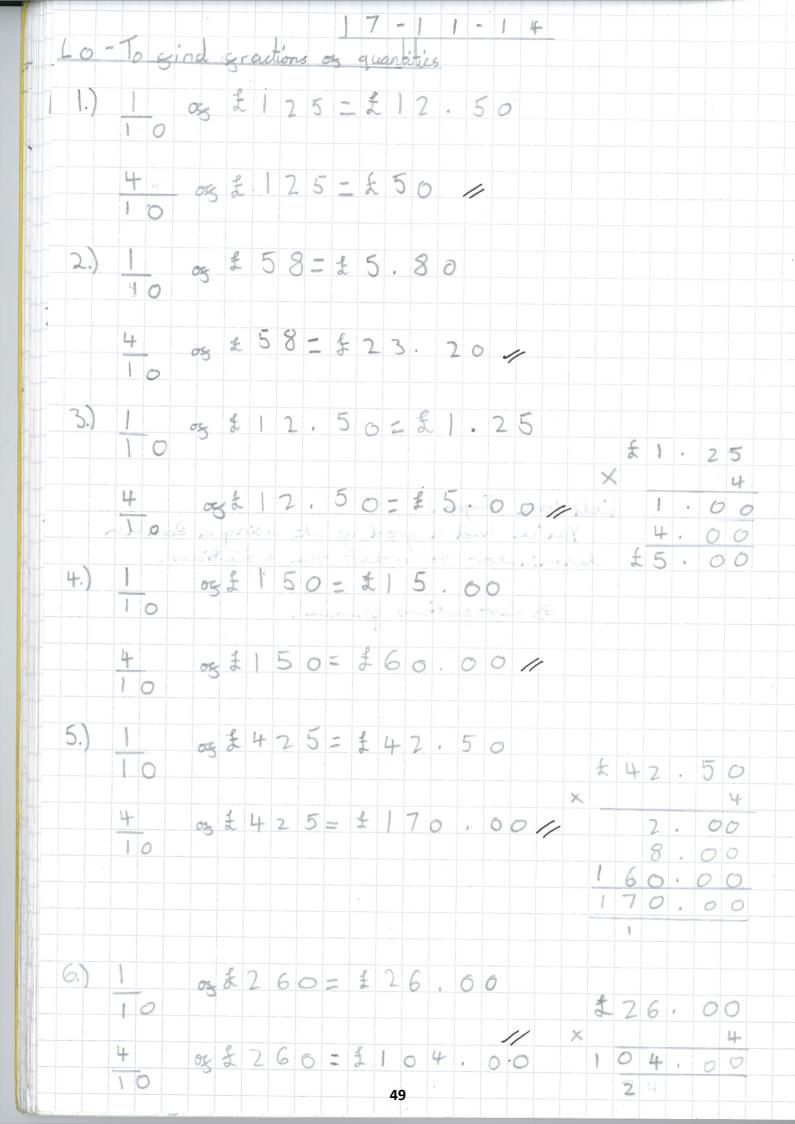
 $\frac{15.}{24} = \frac{3}{8}$

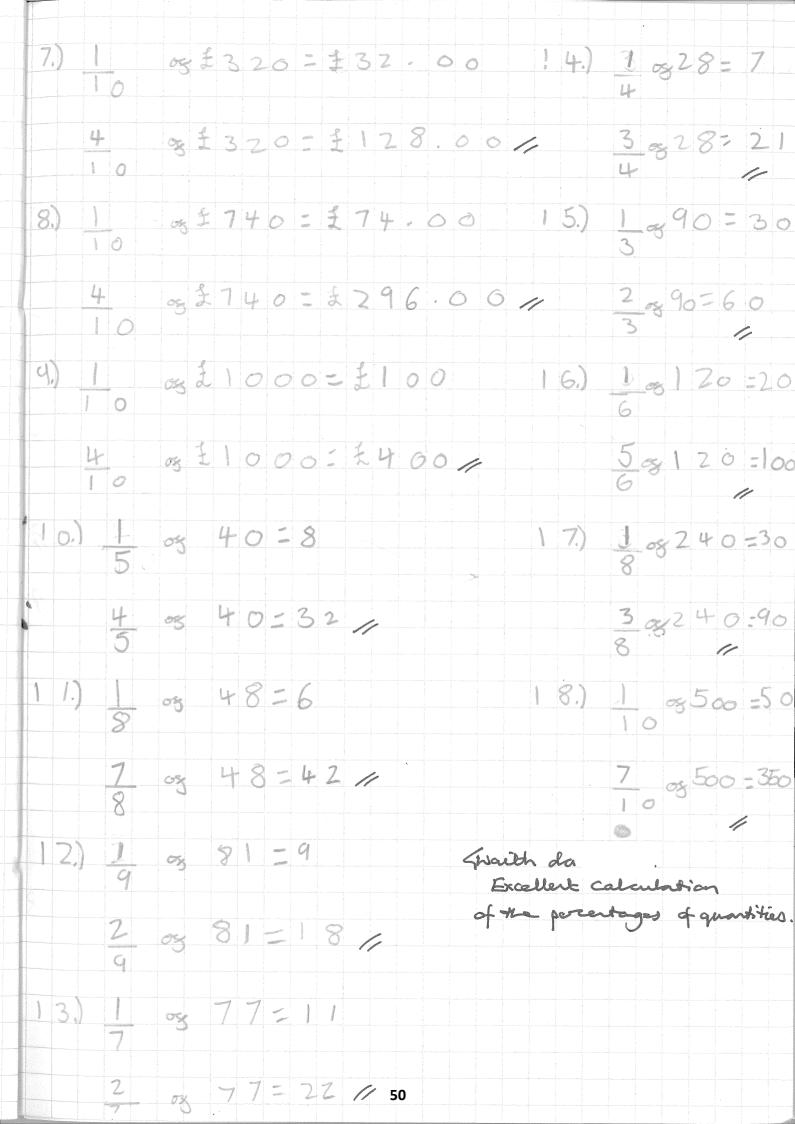
16.2 -1 /

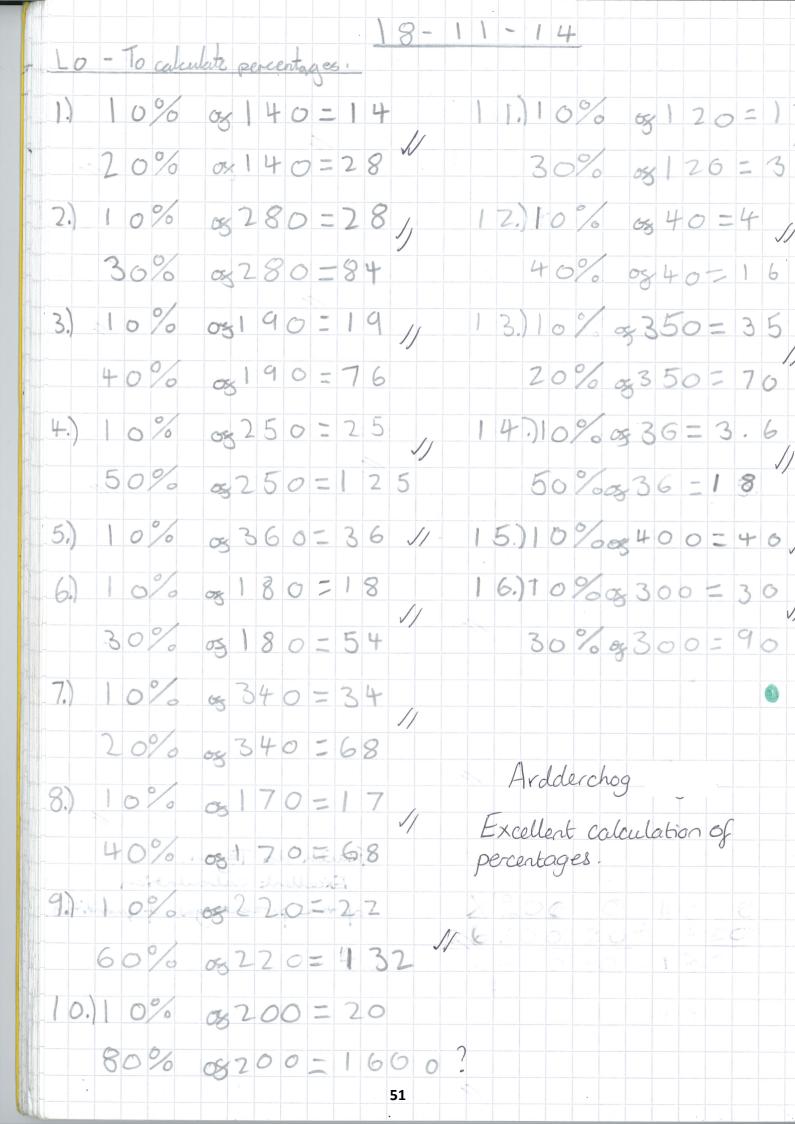
17,6 = 1 1

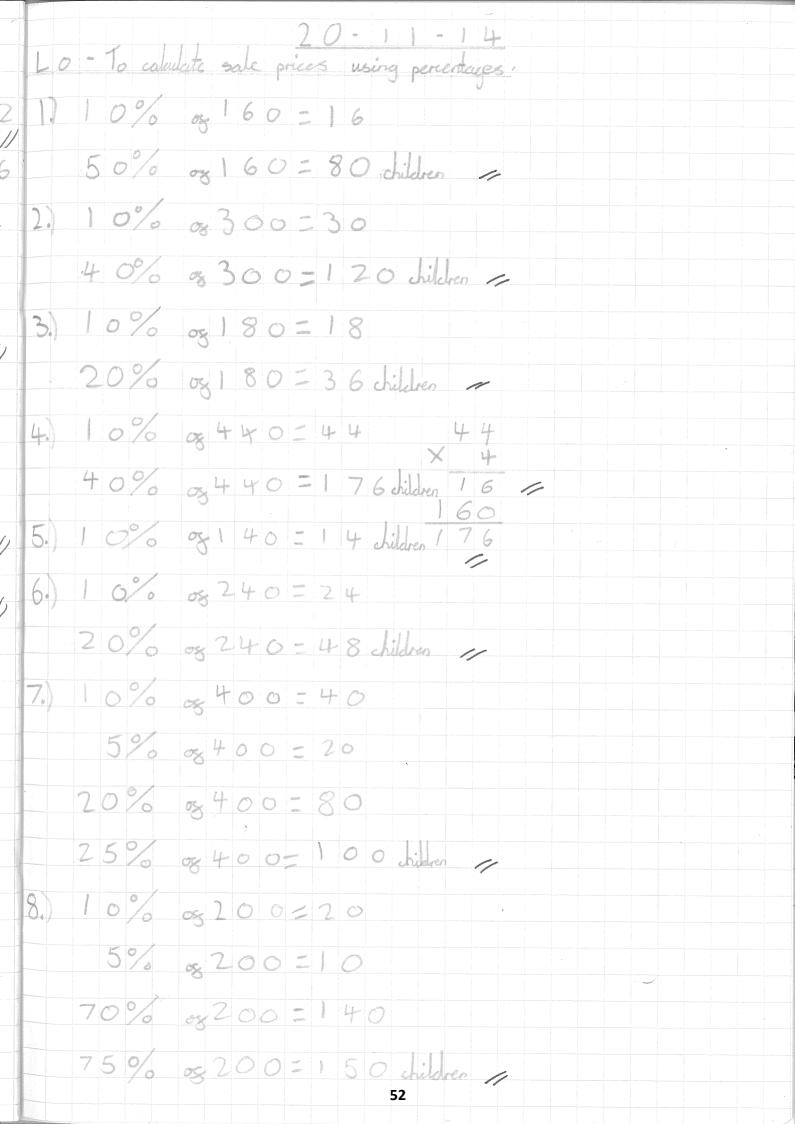


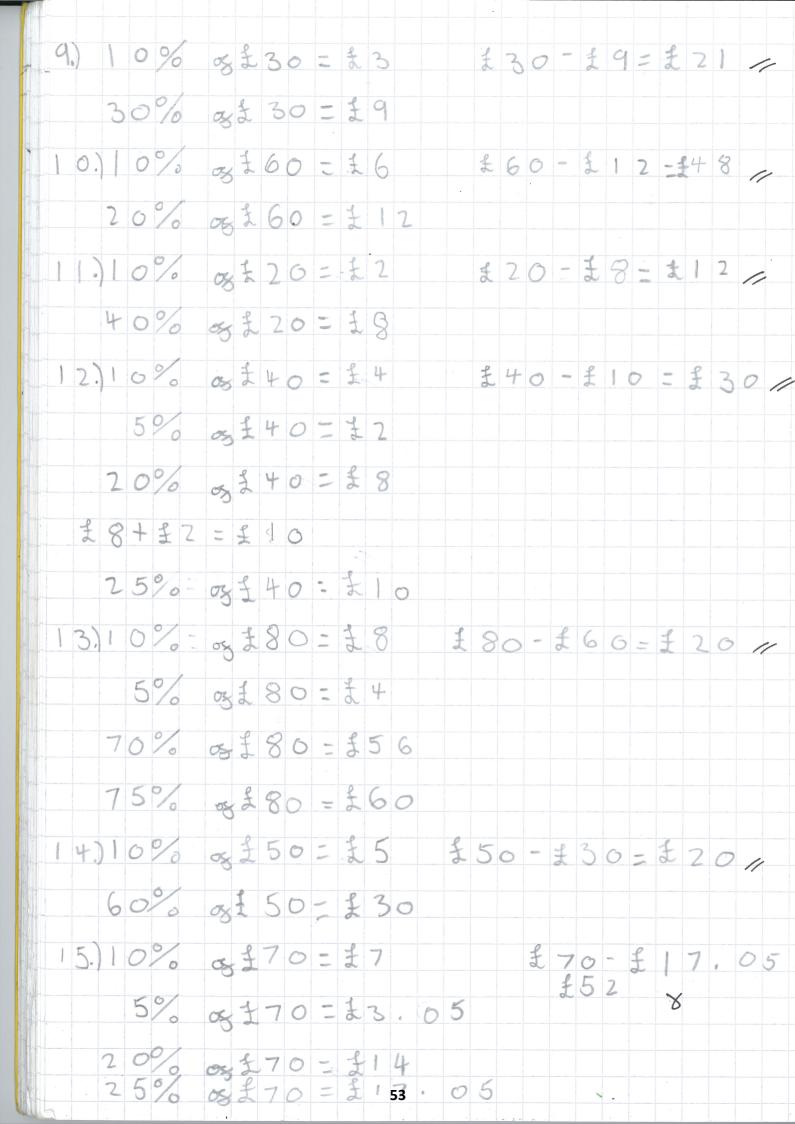












16. 10% of £ 30 = £ 3 5% of £ 30 = £ 1.50 70% of £ 30 = £ 21 75% of £ 30 = £ 22.50 £ 30 - £ 22.50 = £ 7.50/ Well done . Super percentages work.

